

大葉大學 九十三 學年度 研究所碩士班 招生考試試題紙

| 系 所 別     | 組 別 | 考 試 科 目<br>(中文名稱) | 考 試<br>日 期 | 節 次 | 備 註 |
|-----------|-----|-------------------|------------|-----|-----|
| 電信工程學系碩士班 | 乙   | 通訊原理              | 3月28日      | 第三節 | 共二頁 |

註：考生可否攜帶計算機或其他資料作答，請在備註欄註明（如未註明，一律不准攜帶） 13:30 ~ 15:00

第一頁

1. (15%) Considering an FM modulator, as shown in Fig. 1 (a), operates with  $f_d = 8$ , the input message signal  $m(t) = 5 \cos 2\pi(8)t$ , and the output is  $x_c(t) = 100 \cos[2\pi(1000)t + \phi(t)]$ . The modulator is followed by a band-pass filter and with a center frequency of 1000 Hz and a bandwidth of 56 Hz, as shown in Fig. 1 (b). (A). Determine the single-sided spectrum of modulator output, and (B). Find the power at the filter output.

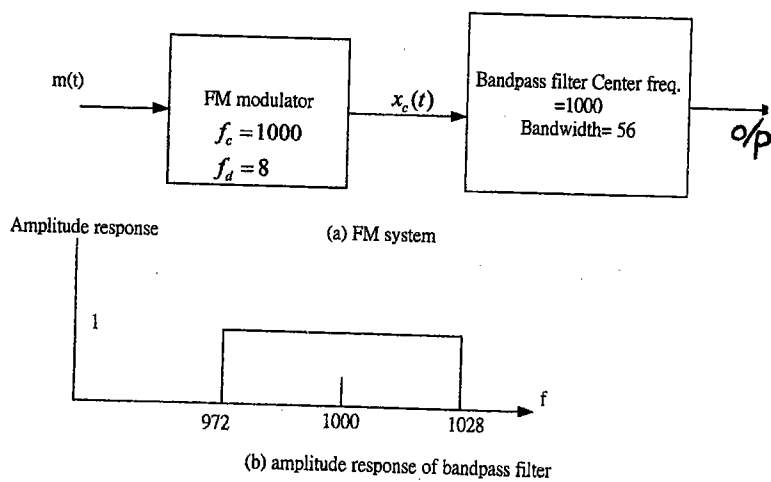


Fig. 1

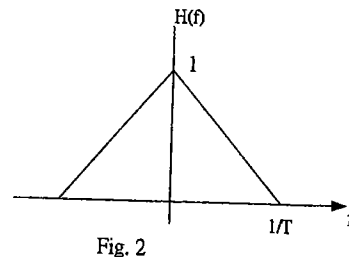


Fig. 2

2. (15%) An ideal lowpass filter with the impulse response  $h_o(t) = \frac{\sin(t-20)}{t-10}$ . Since the system is causal, the actually response is  $h(t) = \begin{cases} h_o(t), & t > 0 \\ 0, & t < 0 \end{cases}$ . (A). Find  $H(f)$ , and compare it to the system function of the ideal filter. (B). Find the output when the input is  $m(t) = \sin(t)/t$ . (C). Find the error (difference between output and input) for the input of part (B).
3. (20%) Assuming that there is a communication channel with triangular passband characteristic, as shown in Fig. 2. Determine the peak and mean square intersymbol interference (ISI) for a signal resulting from sending ideal impulse samples through the channel described in Fig. 2.

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第二頁

4. (20%) What is the information that you can illustrate from the curves as shown in Fig. 3.

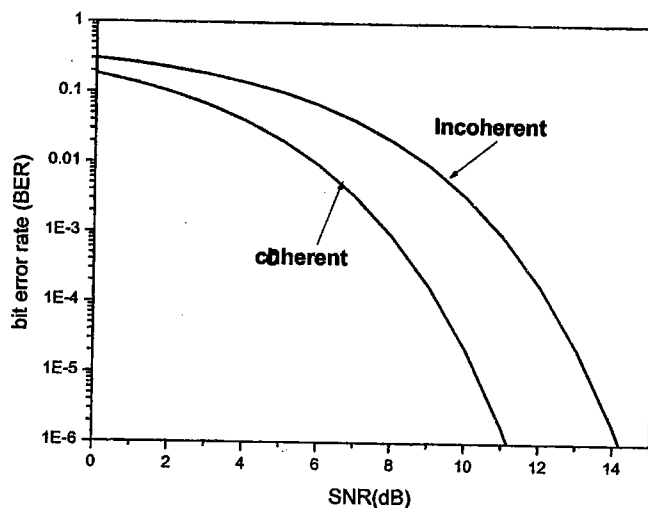


Fig. 3

5. (20%) When a random signal  $S(t)$  is defined as  $S(t) = K_a + \exp(-K_b |t|)$ ,

where  $K_a$  and  $K_b$  are independent uniform random variables on  $[-1,1]$  and  $[0,2]$ , respectively.

- Draw a few sample functions of the process.
- Determine the  $E[S(t)]$ .
- Determine  $R_{SS}(t_1, t_2)$ .
- What's the normalized power of  $S(t)$ .

6. (10%) As shown in Fig. 4 is a convolutional encoder (rate 1/2, constrain length  $K=3$ ), determine the output sequence sequentially.

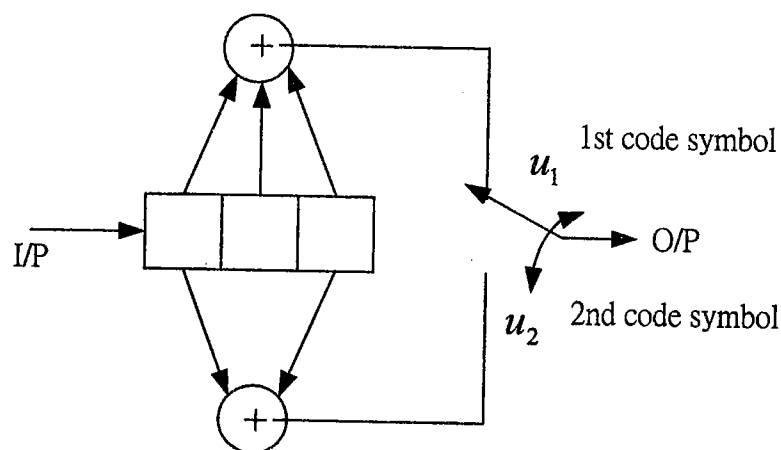


Fig. 4